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# Similarity of lithospheric structure of central and northwestern part of the Indian Peninsula inferred from observed surface wave forms

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सार — भारतीय प्रायद्वीप के केन्द्रीय भाग और प्रायद्वीप के उत्तर-पश्चिम भाग के पार बनने वाले प्रेक्षित सतह तरंग पर विचार किया गया । पूर्ववर्ती कार्य में, पर्वो लिखित क्षेत्र के पार सतह तरंगों के समूह वेग का प्रयोग करते हुए निदर्श स्थलमंडल आईपी 11 का पता चला है । इन दो क्षेत्रों .<br>के पार बनने वाले प्रेक्षित सतह तरंग की तुलना निदर्श आईपी 11 का प्रयोग करते हुए संश्लेषित भुकम्प लेखियों के साथ की गई है । प्रेक्षित तरंग रूप संश्लेषित (सिन्थेटिक) के साथ परस्पर मेल खाते हुए पाए गए हैं । इससे पता चलता है कि भारतीय प्रायडीग के मध्य और उत्तर पश्चिम .<br>भागों की औसत स्थलमंडलीय संरचना एक समान है और स्थलमंडलीय निदर्श आई पी 11 की स्थिति इस संरचना के निकट है ।

ABSTRACT. Observed surface wave forms across the central part of the Indian Peninsula and across north-<br>western part of the Peninsula have been considered. In a previous work, using group velocity of surface waves<br>across f access forms are found to agree with<br>synthetic seismograms using model IP11. Observed wave forms are found to agree with<br>synthetic ones. This suggests that the average lithospheric structure of central and northwestern par Indian Peninsula is similar and the lithospheric model IP11 is an approximation to it.

Key words - Lithospheric structure, Synthetic seismograms, Rayleigh wave, Love wave.

#### 1. Introduction

The Indian Peninsula has maintained its continental structure since Precambrian times. It is important to investigate the internal structure of this old block. Deep seismic sounding (DSS) experiments in the present study area have been conducted in some limited regions by inversion of body waves (Srivastava et al. 1983, Srivastava et al. 1984, Mittal et al. 1990). However, inversion of surface waves gives an average structure over a wide area; further it gives shear wave velocity structure with more confidence. Lithospheric structure across the plateau region along east-west profiles in the central part of the Indian Peninsula was investigated earlier (Bhattacharya 1981) by measuring group velocities of surface waves and on that basis model IP11 (Fig. 1) was proposed. The model IP11 is very similar to the crustal and upper mantle structure obtained<br>by Hwang and Mitchell (1987) for Indian Peninsula through the inversion of Rayleigh wave group velocity data. The crustal structure of IP11 has been compared with the results of DSS in Table 1. The crustal structure of the model IP11 is very similar to that obtained by deep seismic sounding in Koyna region (Srivastava et al. 1984).

The northwestern part of the Indian peninsula consists of the central highlands. It is a wide belt of hilly country

bordered on the west by the Aravalli range and on the south by the Satpura range. The great plain lies to the north of this region. The boundaries of the central highlands and plateau region of the Indian Peninsula are shown in Fig.2. Both the central highlands and the plateau region form the Indian Peninsula which has maintained its continental structure since Precambrian times and is known as Indian shield. Auden (1949) divided Indian shield into northern and southern parts partitioned by Satpura range and called central highland as northern shield.

In the past two decades, our understanding of earthquakes and earth structure has increased significantly because of improved ability to interpret a seismogram by comparing it with the corresponding synthetic seis-<br>mogram. Comparison of surface waves on observed seismogram with those on synthetic seismogram at an epicentral distance up to 20° has been seen to be successful in evaluating lithospheric structure (e.g., Mitchell<br>and Herrmann 1979). The purpose of this work is to<br>verify the model lithosphere IP11 for central India through comparison of the wave form of observed surface waves with synthetic ones. With a similar comparison it is also investigated whether the mode lithosphere IP11 continues in the northwestern part of the Peninsula.



Fig. 1. Compressional  $(P)$  wave and shear  $(S)$  wave-<br>velocity and density in model IP11



Fig. 2. Wave paths used in the present study

TABLE 1

Comparison of crustal structure of IP11 with DSS results



\* A: Bhattacharya (1981),

C: Srivastava et al. (1983),

B : Srivastava et al. (1984),

D : Mittal et al. (1990).

#### 2. Computation of synthetic seismograms

A synthetic seismogram is a theoretical simulation of a wave train as recorded by a seismograph. For this we take account of the entire process whereby the seismic waves progress from the source to the output of the receiver. This may be separated into three major elements:  $(i)$  the generation of waves by the source,  $(ii)$  the passage of the waves through the earth, and (iii) detection and recording by the receiver. There are many methods available for computation of synthetic seismograms. We shall use the wave number or slowness integration method following Kind (1979), Wang and Herrmann (1980), Herrmann and Wang (1985) and Müller (1985). This method is also known as reflectivity method.

We may represent the vertical component (upward) seismogram containing Rayleigh waves at an epicentral distance  $\triangle$  due to a point shear dislocation as

 $u_z(\triangle, t) =$  ZDD [sin $\lambda$  sin 28]

 $+$  ZDS [ $-\cos \lambda \cos \delta \cos \varphi + \sin \lambda \cos 2 \delta \sin \varphi$ ]

+ ZSS [ $\frac{1}{2}$ sin  $\lambda$  sin2  $\delta$  cos2  $\varphi$  + cos $\lambda$  sin  $\delta$  sin2  $\varphi$ ](1)

where  $\lambda$  is slip angle,  $\delta$  is dip angle and  $\varphi$  is azimuth of the recording station measured clockwise from strike direction of the shear dislocation. Also

$$
ZDD = \frac{1}{2\pi} \int_{-\infty}^{\infty} S(\omega) I(\omega) d\omega \int_{0}^{\infty} F_1(k,\omega) J_0(k\triangle) dk
$$

$$
ZDS = -\frac{1}{2\pi} \int_{-\infty}^{\infty} S(\omega) I(\omega) d\omega \int_{0}^{\infty} F_3(k,\omega) J_1(k\triangle) dk
$$

$$
\text{ZSS} = -\frac{1}{2\pi} \int_{-\infty}^{\infty} S(\omega) \, I(\omega) \, d\omega \int_{0}^{\infty} F_5(k,\omega) \, J_2(k\triangle) \, dk
$$

where,  $S(\omega)$  is Fourier transform of source time function  $s(t)$  and  $I(\omega)$  is seismograph response;  $F_1$ ,  $F_3$ ,  $F_5$ , are Greens functions required to describe the wave field due to an arbitrary point shear dislocation source in a plane layered elastic medium and are given in Wang<br>and Herrmann (1980);  $J_0$  ( $k \triangle$ ),  $J_1$  ( $k \triangle$ ) and  $J_2$  ( $k \triangle$ )<br>are Bessel functions. As we are interested in generating synthetic seismograms at large epicentral distances compared to wave length, we have used approximation of Bessel function, for large arguments. It may be noted that (i) ZDD is a seismogram with  $\lambda = 90^\circ$ ,  $\delta = 45^\circ$ , and  $\phi = 45^\circ$ , (ii) ZDS corresponds to  $\lambda = 90^\circ$ ,  $\delta = 90^\circ$  and  $\phi = 90^\circ$ , and (iii) ZSS corresponds to  $\lambda = 0^{\circ}$ ,  $\delta = 90^{\circ}$  and  $\phi = 45^{\circ}$ .

The seismogram in the radial direction can be obtained similarly.

The corresponding transverse component (clockwise) seismogram containing Love wave is given by :

$$
u_{\varphi}(\triangle, t) = \text{TDS}[\sin \lambda \cos 2 \delta \cos \varphi + \cos \lambda \cos \delta \sin \varphi] + \text{TSS}[\cos \lambda \sin \delta \cos 2 \varphi - \frac{1}{2}\sin \lambda \sin 2 \delta \sin 2 \varphi]
$$
\n(2)

where,

$$
\text{TDS} = -\frac{1}{2\pi} \int_{-\infty}^{\infty} S(\omega) \, I(\omega) d\omega \int_{0}^{\infty} F_9(k, \omega) \, J_0(k \triangle) \, k \, dk
$$
\n
$$
\text{TSS} = -\frac{1}{2\pi} \int_{-\infty}^{\infty} S(\omega) \, I(\omega) \, d\omega \int_{0}^{\infty} F_{10}(k, \omega) \, J_1(k \triangle) k \, dk;
$$

here we have ignored terms with  $1/\triangle$  as we are interested in generating synthetic seismograms at large distance.  $F_9$  and  $F_{10}$  are given by Wang and Herrmann (1980).<br>We note that (i) TDS is seismogram with  $\lambda = -90^\circ$ ,  $\delta = 90^\circ$ and  $\varphi = 0^{\circ}$ , and (*ii*) TSS is seismogram with  $\lambda = 0^{\circ}$ ,  $\delta = 90^{\circ}$ <br>and  $\varphi = 0^{\circ}$ .

Two computer programs are written : one to compute ZDD, ZDS and ZSS; other to compute TDS and TSS. The results of the programs are verified with synthetics.<br>seismograms given by Herrmann and Wang (1985)<br>at an epicentral distance 75 km and those of Müller (1985) at epicentral distances 1000 km and 1500 km.

ZDD, ZDS and ZSS at an epicentral distance of 1432 km for the model IP11 are shown in Fig. 3. The model has a crust of thickness 38.7 km. To consider attenuation<br>we have taken  $Q_a$  = 1000 and  $Q\beta$  = 500 in the crust and  $Q_{\alpha}$  = 500 and  $\overline{Q}$   $\beta$  = 250 in the layers below the crust. The seismograph response of a long period electromagnetic seismograph with  $T_0 = 15$  s and  $T_s = 100$  s with peak magnification  $V_{\text{max}} = 1500$  has been considered. The source time function has been taken as (Wang and Herrmann 1980).

$$
2Ts'(t) = \begin{cases} 0 & t \leq 0\\ \frac{1}{2}(t/T)^2 & 0 < t \leq T\\ -\frac{1}{2}(t/T)^2 + 2(t/T) - 1 & T < t \leq 3T\\ \frac{1}{2}(t/T)^2 - 4(t/T) + 8 & 3T < t \leq 4T\\ 0 & 4T < t \end{cases}
$$

Here  $4T$  is the rise time. We have chosen  $T = 1$ s.

The corresponding TDS and TSS at and epicentral distance 1299 km are shown in Fig. 4.

#### 3. Data used

Surface waves recorded by long period seismograph  $(T_o=15 \text{ s and } T_g=100 \text{ s})$  at Bokaro (BOK), Visakhapatnam (VIS) and New Delhi (NDI) from earthquakes occurring in the Koyna and Bhatsa regions on the west coast of India are considered. The parameters of earthquakes are given in Table 2. Focal depths of the earthquakes in the Koyna region are found to be around 5 km using data of local observatories (Gupta et al. 1980, Rastogi & Talwani 1980). As such we have considered focal depths as 5 km for all the Koyna earthquakes considered here. With such focal depth synthetic wave form agrees better with observed one than with any other focal depths. Fig. 2 shows the wave paths from<br>Koyna to BOK and VIS across central part of the peninsula and those from Koyna and Bhatsa to NDI across nothwestern part of the Peninsula.





#### TABLE 2

### Earthquakes used in this study



\*\* IMD: India Meteorological Department, ISC: International Seismological Centre, RT: Rastogi and Talwani (1980),

\* From Rastogi et al. (1986).



Fig. 4. Transverse component of synthetic seismograms as recorded by a long period seismograph ( $T_0 = 15$  s,  $T_g = 100$  s,  $V_{max} = 1500$ ) at an epicentral distance 1299 km from an earthquake with focal depth 5 km and moment 10<sup>24</sup> dyne-cm; (a) Upper trace is due to vertical dip<br>slip source and recorded in the strike direction, and (b) Lower trace is due to vertical strike slip source and<br>recorded in the strike direction

The focal mechanism of main Koyna earthquake of 1967 DEC 10 has been inferred to be left lateral strike slip with strike along N 26° E with dip 66° in NW direction (Tandon and Chaudhury 1968). However, for the same<br>earthquake Chandra (1976) obtained same result but with dip 90°. For Koyna earthquake of 1967 SEP 13, Langston (1981) obtained left lateral faulting on a plane with strike N 20° E, dip 90° and slip angle 0°. For Koyna earth<br>quakes of 1968 OCT 29, 1969 NOV 03 and 1973 OCT 17,<br>Gupta *et al.* (1980) and Rastogi and Talwani (1980) obtained north to northeast strike direction with left lateral strike slip and dip of about 80°. It may be noted that from strike direction, the azimuth  $\varphi$  of NDI is around 0°, and that of BOK and VIS is around 45°. Since

the faulting in Koyna earthquakes are left lateral strike slip  $(\lambda = 0)$  on a vertical fault plane, at NDI Love waves were recorded well but Rayleigh wayes were recorded poorly; on the other hand, BOK and VIS recorded Rayleigh waves well but Love waves were poorly recorded. This is in accordance with Eqns. (1) and (2). Hence we have used Rayleigh waves at BOK and VIS and Love waves at NDI. For Rayleigh waves vertical component is used. NDI is located nearly in north<br>direction from Koyna and Bhatsa; so for Love waves we have considered east-west component which is approximately transverse to the direction of propagation of the waves.

#### 4. Results

#### 4.1. Rayleigh waves at BOK and VIS across central par tof the peninsula

Eqn. (1) shows that vertical component of synthetic seismogram is a linear combination of ZDD, ZDS<br>and ZSS. The average epicentral distance from Koyna to BOK is 1432 km; for this distance ZDD, ZDS and **ZSS** are shown in Fig. 3. It may be seen that in ZDD and ZDS, Rayleigh waves mainly consist of inversely dispersed  $R_g$  waves. Regularly dispersed long period Rayleigh waves with significant amplitude is seen only in ZSS; this is insignificant in ZDD and nearly absent As Koyna earthquakes are approximately in ZDS. vertical strike slip, the main contribution in synthetic seismogram will be from ZSS. However, for a slight variation from vertical strike slip ZDD and ZDS will also have contribution on synthetic seismogram. However, such contribution will affect the wave form of synthetic seismogram from the time where  $R_g$  begins (beginning is clearly seen in ZDS of Fig. 3). Thus regularly dispersed long period Rayleigh wave is not much dependent on the exact source mechanism. The comparison of the observed seismogram with synthetic ones is shown in Fig. 5. The synthetic seismograms have been obtained by taking the source as vertical strike slip; so that synthetic seismograms corresponds to ZSS. The agreement of long period wave form along with their time of arrival is clear from the figure. As expected, the later parts which mainly consist of  $R_g$ waves, do not agree because they depend largely on exact source mechanism. The agreement gives further qualitative confirmation of the model IP11 for the central part of the peninsula.

#### 4.2. Love waves at NDI across northwestern part of the peninsula

Eqn. (2) shows that Love wave motion  $u_{\phi}$  is linear combination of TDS and TSS only. The average epicentral distance from Koyna to NDI is 1299 km; for this distance TDS and TSS are shown in Fig. 4. TDS mainly consists of higher modes Love waves. TSS contains mainly fundamental mode with a sharp pulse; amplitude of higher mode in TSS is very small compared to the amplitude of fundamental mode. For comparison with observed one in Fig. 6 we obtained synthetic seismogram considering the scurce as vertical strike slip: so that synthetic seismogram corresponds to TSS. Fig. 4 shows that the amplitude of TSS is one order of magnitude larger than TDS. Thus the wave form of<br>Love waves is dominated by TSS and insignificantly depends on the source mechanism. Thus slight difference from vertical strike slip source will not change the synthetic seismograms in Fig. 6. However, wave form significantly depends on the structure through which wave passes. Thus the Love wave is idealy suited to evaluate the lithospheric structure. The comparison of observed and synthetic seismograms is shown in Fig. 6. The agreement is clear along with the arrival times of the wave forms. It may be mentioned that we have considered Bhatsa earthquake of 1983 SEP 14 as vertical strike slip source and corresponding synthetic seismogram agreed well with observed one; as mentioned before a



Fig. 5. Observed Rayleigh waves recordedby vertical component of seismograph at BOK and VIS from Koyna earthquakes have been compared with synthetic ones. The time shown have been completed with systems the origin time of the earth-<br>quake. Observed seismogram and corresponding quake. synthetic seismogram have the same time axis. The amplitude of observed seismograms have been normalised to show the comparisons of wave forms

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Fig. 6. Observed Love waves recorded by east-west component of seismograph at NDI from Koyna and Bhatsa earth-<br>quakes have been compared with synthetic ones. The time shown by arrow is the time from the origin time. Observed and corresponding synthetic seismograms have the same time axis. The amplitudes of observed seismograms have been normalised to show the comparison of wave forms

slight difference of source mechanism will not change the wave pattern significantly. The agreement of the observed Love wave with synthetic seismogram in Fig. 6 shows the continuation of the same lithospheric structure IP11 under the northwestern part of the peninsula.

#### 5. Conclusions

(i) Observed Rayleigh waves recorded at BOK and VIS from Koyna earthquakes across central part of the peninsula have been compared with synthetic seis-<br>mograms in Fig. 5. The qualitative agreement between<br>them lends further support to the lithospheric model IP11 (Fig. 1) obtained earlier for this region (Bhattacharva 1981).

(ii) Observed Love waves recorded at NDI from Koyna and Bhatsa earthquakes clearly agrees with<br>synthetic seimsograms in Fig. 6. This suggests that the lithospheric model IP11 may continue in the northwestern part of the peninsula.

(iii) The average lithospheric structure of central and northwestern parts of the Indian Peninsula is suggested to be similar and lithospheric model<sup>1</sup>[IP11 is an approximation to it.

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